



Supporting Learning

Calculation in Maths

Explaining the different stages of calculation



Dear Parents,

We are always trying to find different ways to help your children progress at school and at home. This booklet informs you about the calculation methods that are taught at North Nibley C of E Primary School. Please encourage your child to use these methods to reach their answers as the methods provide crucial foundation stones for their later education and understanding of mathematics.

Confidence is a key factor in progress for children and they need accurate support to develop this and not be hindered by confusion or mixed vocabulary or strategies.

The booklet shows a progression with a strong emphasis on mental and written methods. To support their learning at home, your child should use the strategy that they use in their classroom, please allow them to try and teach you their methods. When they have a secure understanding, your child's teacher will introduce an extension of each operation. It is important that they feel happy and confident in the methods they use, underpinned by a secure knowledge of tables.

To further support the learning we are preparing videos, where children demonstrate how to complete different calculations. These videos will be available from 2013 onwards and found here - http://www.northnibley.gloucs.sch.uk/p_Calculation.ikml

This booklet can be used to support numeracy homework or any additional maths learning you may chose to focus on. If you would like example calculations, specific to your child's needs, their class teacher would be happy to help. We hope that these booklets give guidance and support to all ages.

Yours sincerely,

Mr. Tomkins



Addition

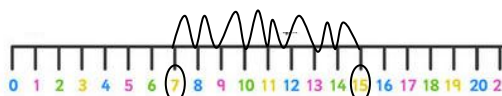
Also known as: add, addition, more, plus, increase, sum, total, altogether, how many more.

Method

Using number lines or 100 squares to help you

Example

$$7 + 8 =$$



(start at 7 count on 8)

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

Children can also use this to bridge tens.

Eg. $46 + 23$



<u>Method</u>	<u>Example</u>
Counting on from the biggest number.	$5 + 3 =$ (in your head start at 5 and say 6,7,8) $5 + 3 = 8$

<u>Method</u>	<u>Example</u>
Partitioning (Splitting the number up into small parts, thus making it easier to find the answer)	$ \begin{array}{c} 23+41= \\ \swarrow \quad \downarrow \quad \searrow \\ 20 \quad 3 \quad 40 \quad 1 \end{array} $ (you add the units first and the tens after) $1 + 3 = 4$ $20 + 40 = 60$ $60 + 4 = 64$ $23 + 41 = 64$

<u>Method</u>	<u>Example</u>
Add and adjust (technique for adding 8 or 9 to a number)	$79 + 9 =$ Round the 9 to 10 (for ease) $79 + \underline{10} = 89$ $89 - \underline{1} = 88$ -1 from the total (remove the 'extra' 1)



<u>Method</u>	<u>Example</u>
Column Addition	Partitioning larger numbers. (The words you use are crucial to the understanding... in this sum, “the tens column is $50 + 70 = 120$ ” <u>not “5 + 7 = 12 so carry the one”</u>) E.g. $358 + 273 =$ $\begin{array}{r} 358 \\ + 273 \\ \hline 11(8+3) \text{ Add the units first} \\ 120(50+70) \\ \hline 500(300+200) \\ \hline 631 \end{array}$ <u>When confident, you can stop using the brackets.</u>

<u>Method</u>	<u>Example</u>
The Standard Written Method <u>(Again, please be careful with vocabulary...”you are carrying over one ten and hundred” in this calculation)</u>	$358 + 273 =$ $\begin{array}{r} 358 \\ + 273 \\ \hline 631 \\ 11 \end{array}$

<u>Method</u>	<u>Example</u>
The Standard Written Method (with decimals)	(It is of vital importance to place the same value of each number above each one). E.g. $124.9 + 117.25 =$ $\begin{array}{r} 124.90 \text{ Write the 0 to help you!} \\ + 117.25 \\ \hline 242.15 \\ 11 \end{array}$



Subtraction

(The simplest way of working out subtraction initially is to actually count on, not backwards!)

Also known as: subtract, take away, minus, decrease, leave, how many are left over, difference,

<u>Method</u>	<u>Example</u>
Counting On	$7 - 3 =$ Put the smallest number in your head (3) Count on to the largest number using your fingers (4,5,6,7) . How many fingers are you holding up? That's your answer! $7 - 3 = 4$

<u>Method</u>	<u>Example</u>
Counting Back	$12 - 8 =$ Put the largest number in your head (12) Count back to the largest number using your fingers (11,10,9,8,7,6,5,4) . What have you counted down to? $12 - 8 = 4$

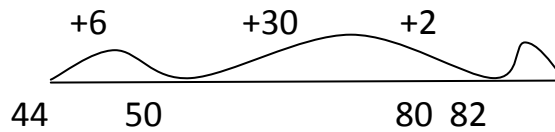


Method

Counting on using a number line.

Example

eg. $82 - 44 =$



Count on in sensible jumps that the child can handle accurately.

Find the total of the jumps.

$$30 + 6 + 2 = 38$$

Method

Column Subtraction. Please be very careful with the vocabulary you use with your children. (There is no need to 'borrow', since the first number is larger and 'sufficient'. We 'break down' a ten into units. We also emphasis the value of each digit, e.g. say twenty and not two when working in the 'tens' column.

Example

$$376 - 127 =$$

$$\begin{array}{r}
 3^6 \cancel{7}^1 6 \\
 - 127 \\
 \hline
 249
 \end{array}$$

(Largest number on top!) $(300 + 60 + 16 = 376)$

With Decimals

$$9.514 - 1.6$$

$$\begin{array}{r}
 8^9 \cancel{5}^1 14 \\
 - 1.600 \\
 \hline
 7.914
 \end{array}$$

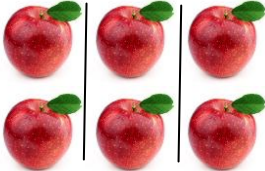
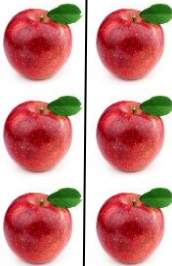
You should always check subtraction answers by **reversing them**... so does $249 + 127 = 376$?



Multiplication

Also known as: lots of, groups of, times, product, multiply, multiplied
multiple of, once, twice, three times, four times, five times, ... times, repeated
addition, array, double

<u>Method</u>	<u>Example</u>
Repeated addition	3×6 will be worked out by adding 6, three times: $3 \times 6 = 6 + 6 + 6$ Or $6 \times 3 = 3 + 3 + 3 + 3 + 3 + 3$

<u>Method</u>	<u>Example</u>
Arrays – using images/ objects / quantities to learn multiplication.	3×2  2×3 

Method

Partitioning –
Multiply the tens
then multiply the
units. Add them
together.

Example

$$26 \times 8$$

$$20 \times 8 = 160$$

$$6 \times 8 = \underline{48} +$$

$$208$$

Method

Grid Method

Example

$$26 \times 8 =$$

X	20	6	
8	160	48	= 208

Method

Extended Grid
Method

Example

$$24 \times 35$$

X	20	4	
30	600	120	=720
5	100	20	=120

$$720 + 120 = 840$$



<u>Method</u>	<u>Example</u>
The Vertical Method	$56 \times 7 =$ $\begin{array}{r} 56 \\ \times 7 \\ \hline 350 \quad (50 \times 7) \\ \underline{42} \quad (6 \times 7) \\ 392 \end{array}$

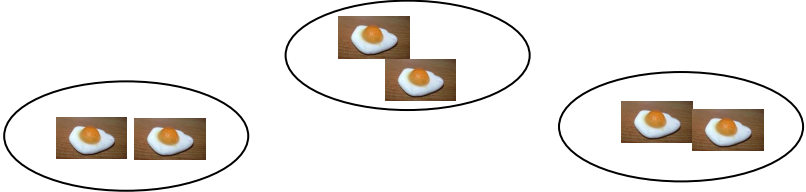
<u>Method</u>	<u>Example</u>
Short Multiplication	38×7 $\begin{array}{r} 38 \\ \times 7 \\ \hline 266 \\ 5 \end{array}$

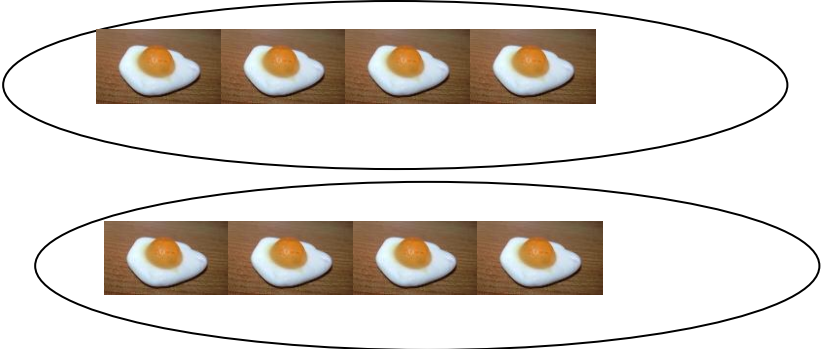


Division

Also known as:

halve, share equally, one each, two each, three each..., grouping, equal groups of, divide, divided by, divided, divisible by,

<u>Method</u>	<u>Example</u>
Grouping Taking a visual and or tactile approach is one of the first ways in understanding division.	$6 \div 2 =$ (How many even groups of 2 can we place the 6 eggs in to?) 

<u>Method</u>	<u>Example</u>
Putting into groups of ... Taking a visual and or tactile approach is one of the first ways in understanding division.	$8 \div 2 =$ (8 sweets shared between 2 groups gives each group...)  $8 \div 2 = 4$ Use inverse rules to check: does $4 \times 2 = 8$?



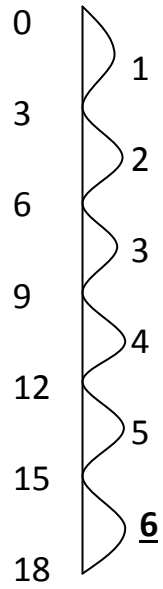
Method

Vertical
Number Line

(How many 'jumps'
of 3 make 18?)

Example

$$18 \div 3 =$$



$$18 \div 3 = 6$$



Method

Chunking

Example

$$48 \div 4 =$$

48

$$\underline{-40} \text{ (4 x } \mathbf{10})$$

8

$$\underline{-8} \text{ (4 x } \mathbf{2})$$

$$\text{So } 48 \div 4 = 12$$

Remainders

$$57 \div 5 =$$

57

$$\underline{-50} \text{ (5 x } \mathbf{10})$$

7

$$\underline{-5} \text{ (5 x } \mathbf{1})$$

2 (This is the remaining number that is left over)

$$\text{So } 57 \div 5 = 11 \text{ r } 2$$



<u>Method</u>	<u>Example</u>
Short Division	$224 \div 7$ $\begin{array}{r} 32 \\ 7 \overline{) 224} \end{array}$

<u>Method</u>	<u>Example</u>
<p>Long Division</p> <p>NB. If children have a sound understanding of the principles that underpin division with larger numbers it may be helpful to move straight to short division.</p>	$768 \div 32$ $\begin{array}{r} 2 \\ 32 \overline{) 768} \\ \underline{64} \end{array}$ <p>(this represents 32×6 that is already placed on the calculation)</p> $\begin{array}{r} 2 \\ 32 \overline{) 768} \\ \underline{-64} \\ 12 \end{array}$ <p>(32 does not go into 12 so we bring down the 8 from the units column to create 128.)</p> $\begin{array}{r} 2 \\ 32 \overline{) 76} \\ \underline{-64} \\ 128 \end{array}$ <p>(Use trial and error or your 32 times table to work out how many times 32 goes in to 128) $32 \times 4 = 128$ (the 4 now goes in to our calculation to give us the final answer)</p> $\begin{array}{r} 24 \\ 32 \overline{) 76} \\ \underline{-64} \\ 128 \end{array}$ $768 \div 32 = 24$

